

Cost Based Plan Selection

CS157B

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Outline

- From logical plan to physical plan
- Costs of Operations

Estimating Costs of Operations

- Last day we discussed how to transform a query into a logical query plan.
- From this we can a preferred logical query plan according to the heuristics discussed last day.
- Today, we consider ways of coming up with a physical plan from this logical plan.
- Typically, consider several plans generated from the logical plan, do an estimate of cost for each, and choose the plan of least cost. (*Least cost estimation*)

What to select for each plan we generate.

- An order and grouping on the associative and commutative operations like join, unions, and intersections.
- An algorithm for each operator in the logical plan. For example, need to choose between nested-loop join and hash-join.
- Additional operators - scanning, sorting, etc which are needed for the physical plan but are not present in the logical plan.
- The way in which arguments are passed from one operator to the next. (By intermediate results or by pipelining)

Estimating Sizes of Intermediate Relations

- Without computing the query itself, one cannot exactly determine the number of rows it will return.
- Nevertheless, we'd like to make an estimate of the number of rows which is --
 - Accurate
 - Easy to compute
 - Logically consistent -- the result should not depend on which way we calculate an intermediate result.
- Recall use $B(R)$ -- number of blocks in R , $T(R)$ -- number of tuples in R , $V(R, a)$ -- number of distinct values for attribute a .

Estimating the Size of a Projection

- The number of rows returned by a projection will be the same as the original relation.
- Nevertheless, the space needed to store the relation could be less.
- For example, suppose the block size was 4096, where 96 bytes used for header info. Suppose had a 1,000,000 tuple relation. If tuples went from 40 bytes long to 20 bytes long after a projection. Then the number we could store in a block would go from 100 to 200 and the file would go from 10,000 blocks long to 5,000 blocks long.

Estimating the Size of a Selection

- For $S = \sigma_{A=c}(R)$. We estimate $T(S) = T(R)/V(R,a)$.
- For $S = \sigma_{A < c}(R)$. We estimate $T(S) = T(R)/3$. The somewhat bogus intuition being that people tend to write queries looking for something more selective than half of the tuples.
- For $S = \sigma_{A \neq c}(R)$. We estimate $T(S) = T(R)$. A more accurate but harder to calculate estimate is $T(S) = T(R)(V(R,a) - 1)/V(R,a)$.

Estimating the Size of a Join

- Only consider natural joins, such as $(R(X,Y) \text{ join } S(Y,Z))$, since other joins can be estimated from natural join and estimate for selections and projections.
- To simplify the task of estimating, we assume (not really true):
 - If $V(R,Y) \leq V(S,Y)$ then every Y value of R is a Y value of S .
 - If A is an attribute of R not involved in the join, then $V(R \text{ join } S, A) = V(R,A)$. Similarly for S .
- Under these assumption, every tuple t of R has a $1/V(S,Y)$ chance of joining with a tuple of S .
- So the expected number of tuple t will join with is $T(S)/V(S,Y)$.
- So the total size of the join would be $T(R)T(S)/V(S,Y)$.
- To make our estimate symmetric, we estimate:

$$T(R \text{ join } S) = T(R)T(S)/\max(V(R,Y),V(S,Y))$$

Natural Joins with Multiple Join Attributes

- Suppose we want to join $R(x,y_1,y_2)$ with $S(y_1,y_2,z)$.
- We can generalize our previous reasoning to obtain the estimate:

$$\frac{T(R)T(S)}{[\max(V(R,y_1), V(S,y_1)) * \max(V(R,y_2), V(S,y_2))]}$$

Joins of Many Relations

- Suppose now we have the join
 $S = R_1 \text{ join } R_2 \text{ join } R_2 \dots \text{ join } R_n.$
- To estimate the result we first multiply the size of the relations.
- Then we look at all the attributes A appearing at least twice, divide by all but the least of the $V(R,A)$.
- For example, if had $R(a,b,c) \text{ join } S(b,c,d) \text{ join } U(b,e)$, and $T(R)=1000$, $T(S)=2000$, and $T(U)=5000$. Then would first compute $1000 \times 2000 \times 5000$. If $V(R,b) = 20$, $V(S,b) = 50$, and $V(U,b) = 200$, we would divide by $V(S,b)$ and $V(U,b)$. Finally, we divide by the larger of $V(R,c)$ and $V(S,c)$.