Improving Query Plans

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Outline

- Parse Trees and Grammars
- Algebraic Laws for Improving Query Plans
- From Parse Trees To Logical Query Plans

Syntax Analysis and Parse Trees

- The job of the parser is to take SQL and convert it to a parse tree.
- Nodes in this tree can be of the following types:
 - Atoms -- keywords (like SELECT), names of attributes, constants, parentheses, operators. These are leaves in the tree
 - Syntactic Categories names for families of query subpart. For example, <Condition> might represent a possible condition part in the query.

A Grammar for a Simple Subset of SQL

• Here are some example rules a parser might use for SQL:

<Query> ::= <SFW>

- <Query>::= (<Query>) // '::=' should be read as 'can be expressed as'
- <SWF> ::= SELECT <SelList> FROM <FromList> WHERE <Condition>

<SelList> ::= <Attribute>, <SelList>

<SelList> ::= <Attribute>

<FromList> ::= <Relation>, <FromList>

<FromList> ::= <Relation>

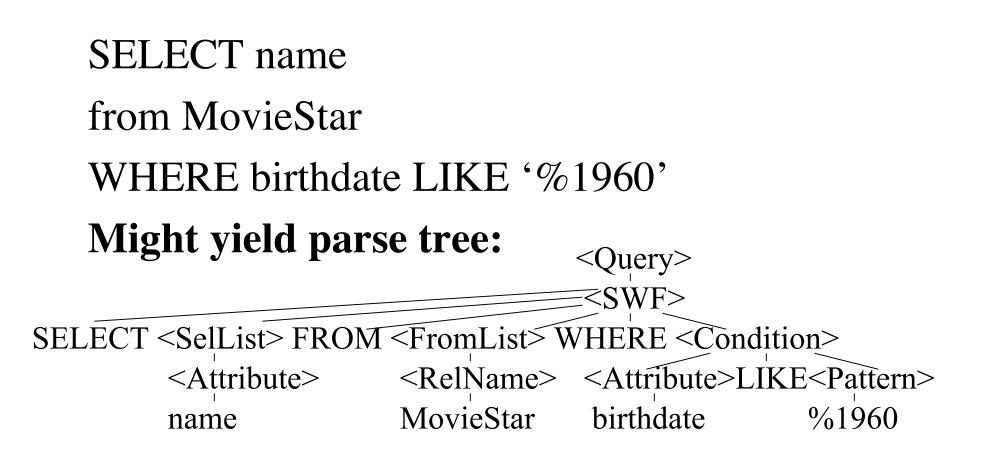
<Condition> ::= <Condition> AND <Condition>

<Condition> ::= <Tuple> IN <Query>

<Condition> ::= <Attribute> = <Attribute>

<Condition> ::= <Attribute> LIKE <Pattern> //etc....

Example



The Preprocessor

- The preprocessor does semantic checking:
 - It expands views to their corresponding query
 - It checks that the items in the FROM clause are actual tables in the DB
 - It checks that the attributes in the SELECT clause belong to some table and matches them to the correct table.
 - It checks that attributes in the WHERE clause are being put in conditions that are appropriate for their type.

Algebraic Laws For Improving Query Plans

- We are now going to consider different ways we can write the same query. The hope being some ways of writing are faster to process than others.
- For instance, it is probably faster to compute selects before taking a join, then vice versa.
- The optimizer's job will be to consider several plans and usually heuristically choose the best one.

Commutative and Associative Laws

- $R \times S = S \times R; (R \times S) \times T = R \times (S \times T)$
- R join S = S join R; (R join S) join T = R join (S join T)
- $R \cup S = S \cup T$; $(R \cup S) \cup T = R \cup (S \cup T)$
- $R \cap S = R \cap S$; $(R \cap S0 \cap T = R \cap (S \cap T))$
- Notice the intermediate tables in computing a sequence of join can be considerable smaller depending on the order of execution.

Laws Involving Selection

- $\sigma_{C1 \text{ AND } C2}(R) = \sigma_{C1}(\sigma_{C2}(R)) = \sigma_{C2}(\sigma_{C1}(R))$
- $\sigma_{C1 \text{ OR } C2}(R) = \sigma_{C1}(R) \cup \sigma_{C2}(R)$ provided R is a set.
- $\sigma_{C}(R \cup S) = \sigma_{C}(R) \cup \sigma_{C}(S)$
- $\sigma_{\rm C}({\rm R} {\rm S}) = \sigma_{\rm C}({\rm R}) {\rm S}$
- Similar rules hold for joins and cartesian products.

Pushing Selections

- To reduce the cost of computing joins and products as much as possible, a good heuristic is to try to push selects as far down all branches in the query tree as possible
- For instance, $\sigma_{year=1996}$ (Movie join StarsIn) should be rewritten $\sigma_{year=1996}$ (Movie) join $\sigma_{year=1996}$ (StarsIn).

Laws Involving Projection

- $\pi_L(R \text{ join } S) = \pi_L(\pi_M(R) \text{ join } \pi_N(S))$ where M is those attributes in L that are from R; N is those attributes in L that are from S.
- This also works for joins with conditions on them.
- As with selections, it is often useful to try to push projections as far down the tree as possible.

Laws for Joins and Products

• We have already seen that it is possible to rewrite a join using:

 $R join_{Condition} S = \sigma_{Condition} (R \times S)$

• A natural join can be written as R join_{Condition}S = $\pi_L(\sigma_C(R \times S))$ where L is the attributes from the natural join and C is the condition which matches like named attributed.

From Parse Trees to Logical Query Plans

- After calculating the parse tree for a query...
- We convert the appropriate groups in the tree by relational operators.
 - For example, we replace the <FromList> node in a
 <Query> tree with the cartesian product of the tables listed under it.
- Then try to optimize this relational algebra tree to create a physical query plan.
 - Might apply heuristics like pushing selection and projections which we mentioned earlier.