

SJSU Students

CS157B-01

### HW 3

#### Question 1

For each of the following operations, write an iterator that uses an algorithm described in class to enumerate the output of the following operations: (a) project tuples onto attributes A,B,C, renaming C to D, (b) bag union. Make sure your iterator reads whole blocks at a time, but outputs tuples at time.

- a) Project tuples onto attributes A, B, C renaming to C to D

Note that projection is a one-pass, tuple-at-a-time operation.

1. First, open R. Use GetNext in a loop to the blocks of R.
2. Use M-1 blocks to store the tuples seen so far.
3. For each tuple t1 from R, form a new tuple t2 with attributes A, B, and D using values from t1.A, t1.B, and t1.C respectively.
4. Move t2 into output block (consider this as output buffer)
5. Output each tuple in the output block
6. Close R

- b) Bag union

1. First, open R. Use GetNext in a loop to read blocks in R til R is done.
2. Open S. Use GetNext in a loop to read blocks in S till S is done too.
3. For each tuple t in S, count the number of occurrences in R and S, and call these counts r and s
4. Make  $r + s$  copies of tuple t and write these copies to the output block
5. Output the tuples in the output block
6. Close R and S

#### Question 2

If  $B(R)=B(S)=150,000$  and  $M=6000$ , what are the disk I/O requirements of: (a) two-pass set intersection using hashing, (b) sort-join from class.

$M$  = number of main memory blocks available

$B(R)$  = number of blocks in R

$T(R)$  = number of tuples in R

- a) Two-pass set intersection using hashing

Is  $B(R) + B(S) < M(M-1)$ ?

$150,000 + 150,000 < 6000(6000-1)?$   
 $300,000 < 35994000 ?$  Yes, so

Will take time  $3(B(R) + B(S))$   
 $3 * (150,000 + 150,000) = \mathbf{900,000}$

b) Sort-join

Is  $B(R) + B(S) < M^2?$   
 $150,000 + 150,000 < (6000)^2 ?$   
 $300,000 < 36,000,000 ?$  Yes, so

Will take time  $3(B(R) + B(S))$   
 $3 * (150,000 + 150,000) = \mathbf{900,000}$

### Question 3

Come up with additional query parsing rules to add to our rules from the [Mar 8 Lecture](#) to say what <Relations> and <Tuple> are. Make sure your rules can handle expressions for relations like Employee E.

<Query> ::= <SFW>  
<Query> ::= (<Query>)  
<SFW> ::= SELECT <SelList> FROM <FromList> WHERE <Condition>  
<SelList> ::= <Attribute>, <SelList>  
<SelList> ::= <Attribute>  
<FromList> ::= <Relation>, <FromList>  
<FromList> ::= <Relation>  
<Condition> ::= <Condition> AND <Condition>  
<Condition> ::= <Tuple> IN <Query>  
<Condition> ::= <Attribute> = <Attribute>  
<Condition> ::= <Attribute> LIKE <Pattern>

<Relation> ::= <RelName>  
<Relation> ::= <RelName> <Alias>  
<RelName> ::= [A-Za-z\_]+[0-9]  
<Alias> ::= [A-Za-z\_]+[0-9]

<Tuple> ::= (<AttrList>)  
<AttrList> ::= <Attribute>, <AttrList>  
<AttrList> ::= <Attribute>

#### Question 4

Consider the table:

<b>Y(c,d)</b>	<b>Z(d,e)</b>
T(Y)=1200	T(Z)=1400
V(Y,c)=30	V(Z,d)=90
V(Y,d)=70	V(Z,e)=60

Estimate the sizes of relations that are the results from the following queries:

(a)  $\sigma_{e=95}(Z)$ , (b)  $Y \bowtie \sigma_{e=95}(Z)$ .

a)  $\sigma_{e=95}(Z)$

Size of a Selection:  $S = \sigma_{A=c}(R)$  means  $T(S) = T(R) / V(R,A)$

In this case, e is our attribute and our relation is Z.

$$T(S) = T(Z) / V(Z,e)$$

$$T(S) = 1400 / 60 = \mathbf{23.333, \text{ so about 24 if we round up}}$$

b)  $Y \bowtie \sigma_{e=95}(Z)$

Size of a Join:  $R(X,Y) \bowtie S(Y,Z)$  means  $T(R \bowtie S) = (T(R) * T(S)) / \max(V(R,Y), V(S,Y))$

In this case, Y and Z will be the relation R and S respectively.

Note that  $T(\sigma_{e=95}(Z))$  has already been computed in the previous question.

$$T(Y \bowtie \sigma_{e=95}(Z)) = (T(Y) * T(\sigma_{e=95}(Z))) / \max(V(Y,d), V(Z,d))$$

$$T(Y \bowtie \sigma_{e=95}(Z)) = (1200 * 24) / \max(70, 90)$$

$$T(Y \bowtie \sigma_{e=95}(Z)) = 28800 / 90 = \mathbf{320}$$

// Question 5 on next page

**Question 5**

Assume  $A=20, B=30$  (here we imagine A and B are blocks that can hold 1 integer) are stored in a DB. Suppose a transaction does the following sequence of operations  $I(A), I(B), R(B,b), b:=b+5, R(A,a), W(B,b), a:=2*a + b, W(A,a), O(A), O(B)$ . Show the undo log records needed for this transaction.

Transaction op	Value a	Value b	Mem Value A	Mem Value B	Disk Value A	Disk Value B	Log Records
							<START T>
I(A)			20		20	30	
I(B)			20	30	20	30	
R(B,b)		30	20	30	20	30	
$b:=b+5$		35	20	30	20	30	
R(A,a)	20	35	20	30	20	30	
W(B,b)	20	35	20	35	20	30	<T, B, 30>
$a:=2*a+b$	75	35	20	35	20	30	
W(A,a)	75	35	75	35	20	30	<T, A, 20>
FLUSH LOG	75	35	75	35	20	30	
O(A)	75	35	75	35	75	30	
O(B)	75	35	75	35	75	35	
							<COMMIT T>
FLUSH LOG							