

Remember there were 2 activities that we wanted to do with Bayesian Learning

1. Compute the most probable hypothesis to explain data
2. Predict next data item

$$P(X | \mathbf{d}) = \sum P(X | h_i) P(h_i | \mathbf{d})$$

We are considering all hypothesis when try to guess next candy

If instead choose most likely hypothesis then predict next candy using that alone using the maximum a posteriori hypothesis (MAP)

To choose most likely hypothesis we let $h_{map} = h_i$ s.t. $P(h_i | \mathbf{d}) P(h_i)$ is largest
 $P(h_i)$ is the probability of having this heuristic

Then our prediction of next item is
 $P(X | h_{map})$

Maximizing $P(D | h_i) P(h_i)$
is equivalent to minimizing

$$1 / (P(d | h_i) P(h_i))$$

Which is equivalent to minimizing

$$\text{Log} (1 / (P(d | h_i) P(h_i))) = -\log P(d | h_i)P(h_i)$$

= # of bits to describe data \mathbf{d} with hypothesis h_i

+ # of bit describe h_i

So MAP is equivalent to choosing shortest string to explain data (formalization of Ockham's Razor).

Maximum likelihood learning is MAP Hypothesis together with assumption that all the h_i are equally likely.

Neural Networks

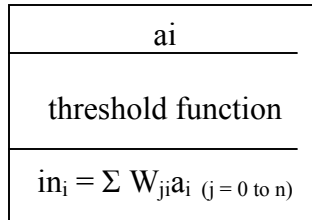
A neuron is the logic computational unit of the brain.

Neuron ->>>>> Brain

One way to try to get intelligent devices is to try to create networks of simulated versions of neurons in a computer.

How to simulate a neuron: edges to other neurons. Each neuron has an activation level a_i

$a_i \in \{-1, 1\}$
 $a_i \in [-1, 1]$



W_{ij} called bias weights

Threshold function: Usually one of (Step function) book calls it the threshold function.

or a sigmoid function

$$f(x) = 1 / (1 + e^{-x})$$