

# OpenGL Transformations, Start of 3D transformations

CS116A

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# Outline

- OpenGL Raster Transformations
- Transformations Between 2D Coordinates
- Geometric Transformations in 3D

# OpenGL Raster Transformations

- Copying pixels from one buffer area to another can be accomplished with  
`glCopyPixel(xmin, ymin, width, height, GL_COLOR);`
  - `GL_COLOR` says what is to be copied (color values)
  - Copied to refresh buffer at same loc

# More OpenGL Raster Transformations

- To read into an array:

```
glReadPixels(xmin, ymin, width, height,  
            GL_RGB, GL_UNSIGNED_BYTE,  
            colorArray);
```

- To do a 90 degree rotation could rearrange rows and columns of array, then place back to refresh buffer at current raster position

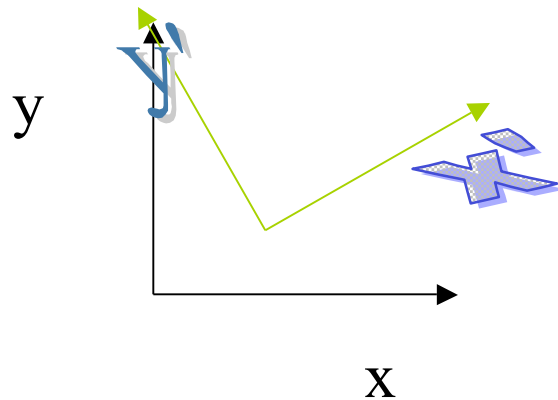
```
glDrawPixels(width, height, GL_RGB,  
            GL_UNSIGNED_BYTE, colorArray);
```

# Yet more OpenGL Raster Transformations

- To scale an area use:  
`glPixelZoom(sx,sy);`  
where `sx` and `sy` are any nonzero floating-point values. (Negative values cause reflections.
- Then use `glCopyPixels` or `glDrawPixels` to get/draw the pixels with the given scaling.

# Transformations Between 2D Coordinates

- Want to be able to switch between one coordinate system and another:



# How to do 2D coordinate transformations

- If want to go from xy system to x'y'
  - First translate origin of x'y' system to origin of xy system with  $\mathbf{T}(-x_0, -y_0)$ :

$$\begin{bmatrix} 1 & 0 & -x_0 \\ 0 & 1 & -y_0 \\ 0 & 0 & 1 \end{bmatrix}$$

- Then rotate result  $\mathbf{R}(-\theta)$  so xy coordinate now usual coordinates:

$$\begin{bmatrix} \cos\theta & \sin\theta & 0 \\ -\sin\theta & \cos\theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

# Another method for 2D-coordinate transformations

- Pick a vector  $\mathbf{V}$  specifying the direction of the  $y'$  axis.
  - Then  $\mathbf{v} = \mathbf{V}/|\mathbf{V}| = (v_x, v_y)$  is a unit vector in this direction
  - So  $\mathbf{u} = (v_y, -v_x)$  will complete the coordinate system
  - Transformation can be written as:

$$\begin{bmatrix} v_y & -v_x & 0 \\ v_x & v_y & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

- Finally, a translation by a point  $\mathbf{P0}$  can make this general



# Geometric Transformations in 3D

- Many of the kinds of transformations done for 2D can be extended to 3D transformations
- For example, 3D translations are like 2D translation except now also can move in z direction.
- For rotations things are a bit more complicated. Can build up out of rotations around the three coordinate axes.
- We also will use homogeneous coordinates for 3D transformations. Thus, will use 4x4 matrices to describe operations.

# 3D Translations

- As an example of what 3D transformations look like consider matrix for a translation

$$\begin{bmatrix} 1 & 0 & 0 & t_x \\ 0 & 1 & 0 & t_y \\ 0 & 0 & 1 & t_z \\ 0 & 0 & 0 & 1 \end{bmatrix}$$